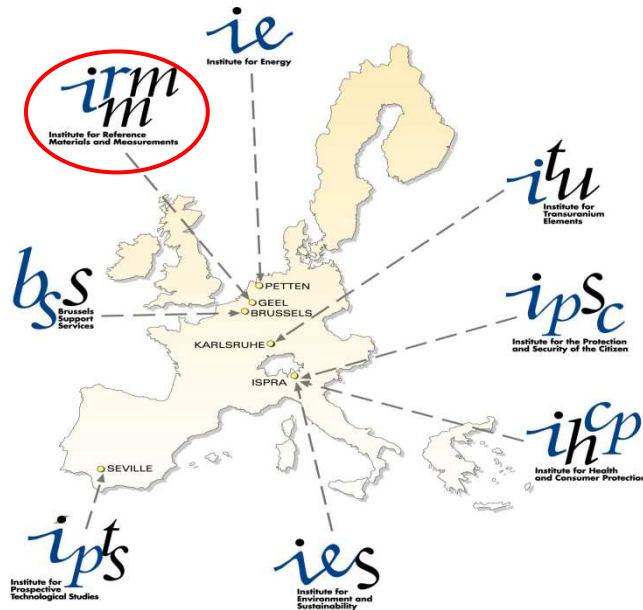




**Project in the framework of  
EFNUDAT**

# Resonance parameters for $^{197}\text{Au} + n$ from transmission, capture and self- indication measurements at GELINA

C. Massimi, A. Borella, S. Kopecky, and P. Schillebeeckx



## EC - JRC – IRMM

Mission:

to promote a **common**  
**European measurement system**  
in support of EU policies



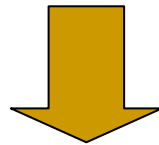
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## Resonance parameters for $^{197}\text{Au} + n$ from transmission, capture and self-indication measurements at GELINA

- The importance of  $^{197}\text{Au}(n,\gamma)^{198}\text{Au}$  reaction cross section
  - Time-of-flight measurements
  - Measurements techniques and detectors
  - Measurements at IRMM - GELINA
  - Results and conclusions
-

# The importance of $^{197}\text{Au}(n,\gamma)^{198}\text{Au}$ “Reference cross-section”

- The  $^{197}\text{Au}(n,\gamma)$  cross section is considered as a standard:
  - at thermal energy (0.025 eV) where the cross section is known with an uncertainty of 0.1%
  - between 0.2 and 2.5 MeV of 1%
- Thanks to its high cross section the resonance at 4.9 eV is used to apply the “saturated resonance technique”



- In both cases it allows to normalize capture data (used as reference in neutron facilities)
- Widely used in nuclear reactor and other applications for neutron flux determination

# The importance of $^{197}\text{Au}(n,\gamma)^{198}\text{Au}$ “Reference cross-section”

The normalization factor (N) is the link between the measured capture yield and the cross-section.

N is a factor that groups together:

- the detector efficiency
  - the capture measurement
  - the flux measurement
- the fraction of neutron flux impinging on the sample
- (...other experimental effects, if present)

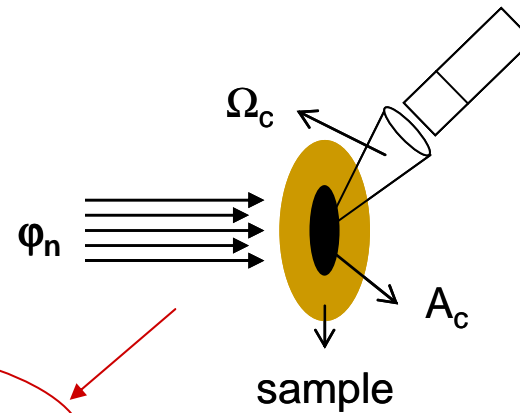
Ideally the normalization factor is a time-independent factor, which can be deduced **from a known yield**:

$$\rightarrow N = Y_{\text{calculated}}/Y_{\text{measured}}$$

# The importance of $^{197}\text{Au}(n,\gamma)^{198}\text{Au}$ “Reference cross-section”

**Capture detector**

$$Y_{exp}(E_n) = \frac{C_c(E_n)}{\Omega_c A_c \varphi_n(E_n)}$$

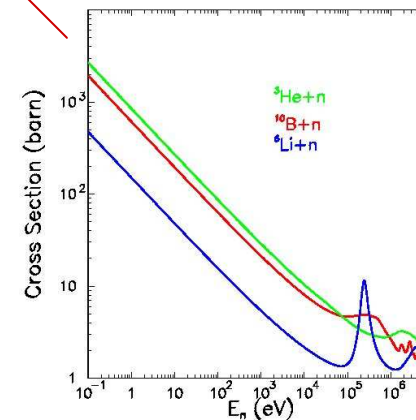


$$Y_{exp}(E_n) = N \frac{C_c(E_n)}{C_\varphi(E_n)} Y_\varphi(E_n)$$

**“Flux” detector**

$$Y_\varphi(E_n) = \frac{C_\varphi(E_n)}{\Omega_\varphi A_\varphi \varphi_n(E_n)}$$

$$Y_\varphi(E_n) \approx n\sigma_{st}$$



# The importance of $^{197}\text{Au}(n,\gamma)^{198}\text{Au}$

## “The saturated resonance techniques”

A resonance is saturated when all incoming neutrons are absorbed in the sample

This technique requires:

- $n\sigma_{\text{tot}} \gg 1$
- $\Gamma_{\gamma} \gg \Gamma_n$

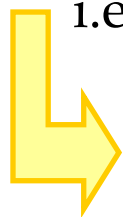
$^{197}\text{Au}$  resonance at 4.9 eV:

- $\sigma_{\text{tot}}(4.9 \text{ eV}) \sim 3 \times 10^4$  barns  
Minimum thickness  $\approx 30 \mu\text{m}$
- $\Gamma_{\gamma} = 124 \text{ meV}; \Gamma_n = 15.2 \text{ meV}$

Remark: correction for gamma-ray attenuation in sample[2]

Normalization does not depend on the resonance parameters[2],

i.e. independent of cross section value



Absolute Measurement

[2] A. Borella et al., NIM A **577** (3) (2007) 626

# Time-Of-Flight measurements

The Time-Of-Flight (TOF) technique requires a pulsed neutron source:

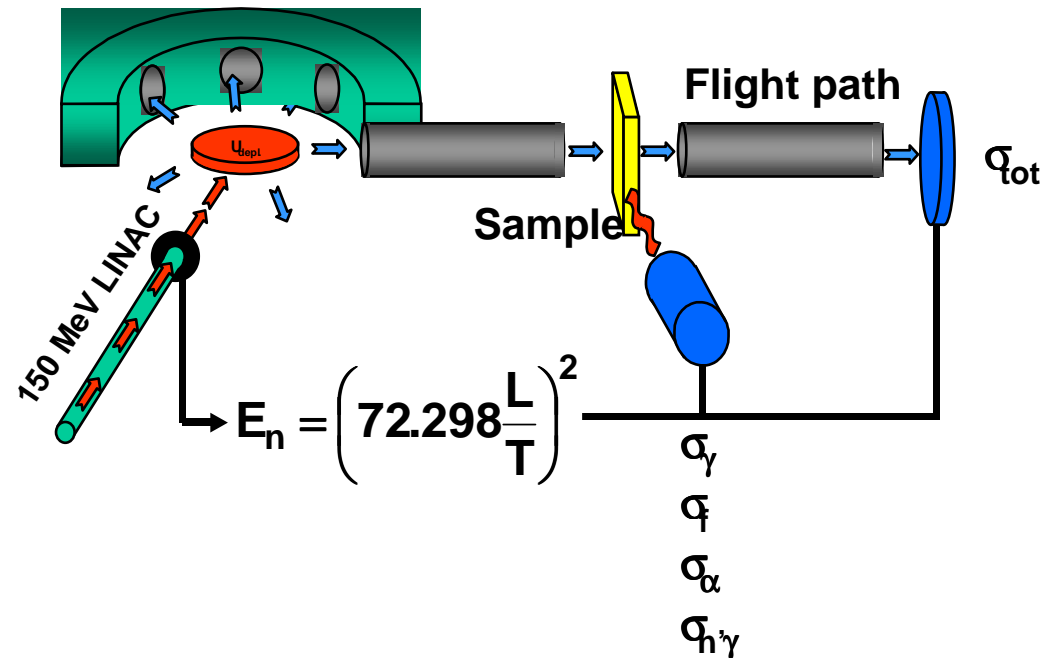
- **charged particles on a target**  
(electron Bremsstrahlung isotropic emission:  $\Phi_n(L) \propto 1/L^2$ )

## Related Problems

- **Neutrons overlap**
- **Dead time**
- **Resolution**

$$\frac{\Delta E_n}{E_n} = 2 \times \sqrt{\left(\frac{\Delta t}{t}\right)^2 + \left(\frac{\Delta L}{L}\right)^2}$$

See lecture of  
**Dr. Peter Siegler**, EC-JRC-IRMM  
*Neutron cross section measurements in the resonance region at GELINA*



# Time-Of-Flight measurements Limitations due to the resolution

**Area  
≈ Independent  
of resolution**

	Area $E_0, \Gamma_n, \Gamma_\gamma, g$	Resonant Part $\Gamma_n \gg \Gamma_\gamma$ $\Gamma_\gamma \gg \Gamma_n$	
$A_{tot}(\text{thin})$	$ng\Gamma_n$	$\approx ng\Gamma_n$	$\approx ng\Gamma_n$
$A_{tot}(\text{thick})$	$\sqrt{ng\Gamma_n\Gamma}$	$\approx \sqrt{ng\Gamma_n}$	$\approx \sqrt{ng\Gamma_n\Gamma}$
$A_\gamma(\text{thin})$	$ng\frac{\Gamma_n\Gamma_\gamma}{\Gamma}$	$\approx ng\Gamma_\gamma$	$\approx ng\Gamma_n$
$A_n(\text{thin})$	$ng\frac{\Gamma_n\Gamma_\gamma}{\Gamma}$	$\approx ng\Gamma_n$	$\approx ng\frac{\Gamma_n\Gamma_n}{\Gamma}$
$R_\gamma$	$\sqrt{\frac{\Gamma}{n_t g \Gamma_n}}$	$\approx \frac{1}{n_t g}$	$\approx \sqrt{\frac{\Gamma}{n_t g \Gamma_n}}$

$$f_{obs}^{Cap} = f(E_0, \Gamma_\gamma, \Gamma_n, J, \ell)$$

$$f_{obs}^{Tra} = f(E_0, \Gamma_\gamma, \Gamma_n, J, \ell)$$

$$f_{obs}^{S-I} = f(E_0, \Gamma_\gamma, \Gamma_n, J, \ell)$$

Combination of  
experimental data  
required

Self-indication  
always complementary



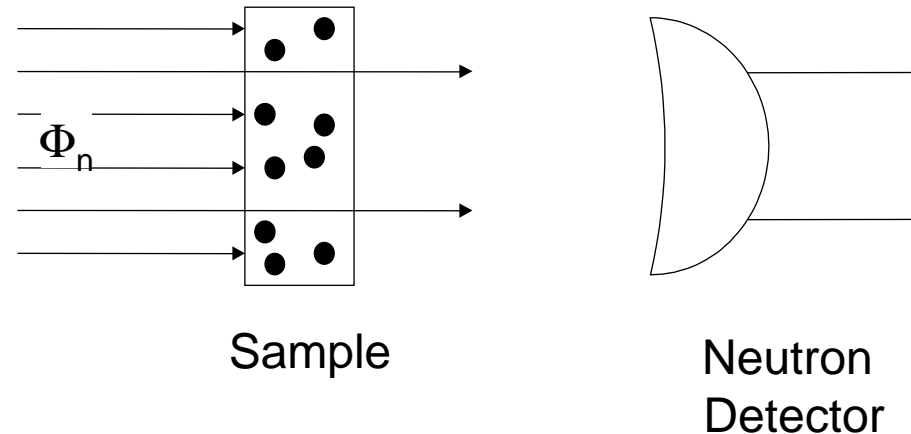
## Transmission experiment

$$T = \frac{C_{\text{in}}}{C_{\text{out}}} \cong e^{-n\sigma_{\text{tot}}}$$

- Incoming neutron flux cancels
- Detection efficiency cancels

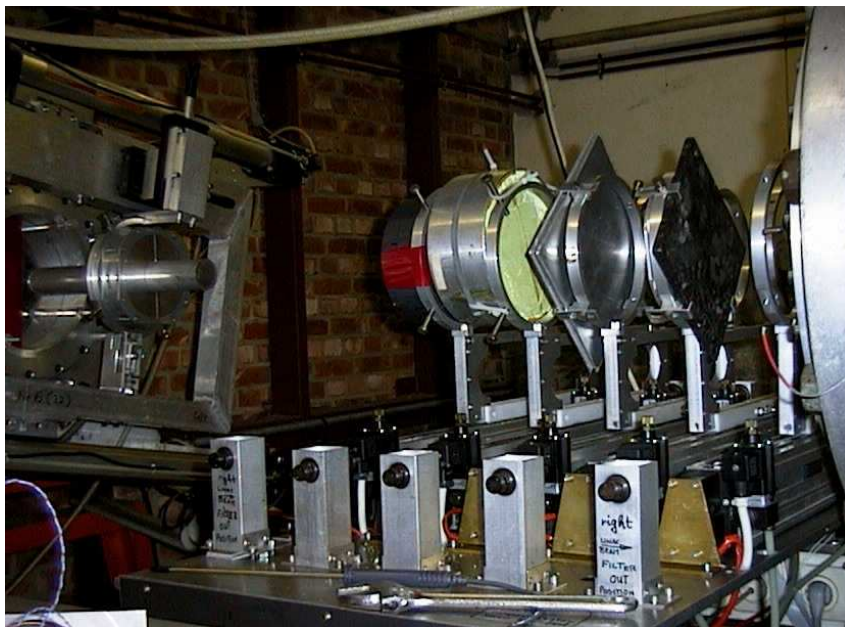
## Good Geometry (collimation)

1. All detected neutrons have traversed the sample
2. Neutron scattered in the sample do not reach the detector

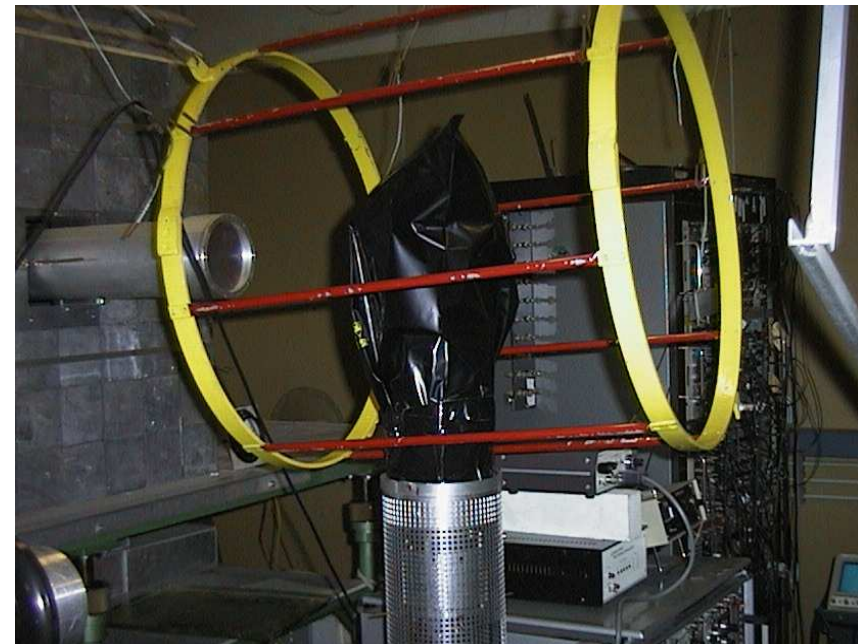


→ Direct relation between  $T$  and  $\sigma_{\text{tot}}$

## Transmission experiment Set up



Sample

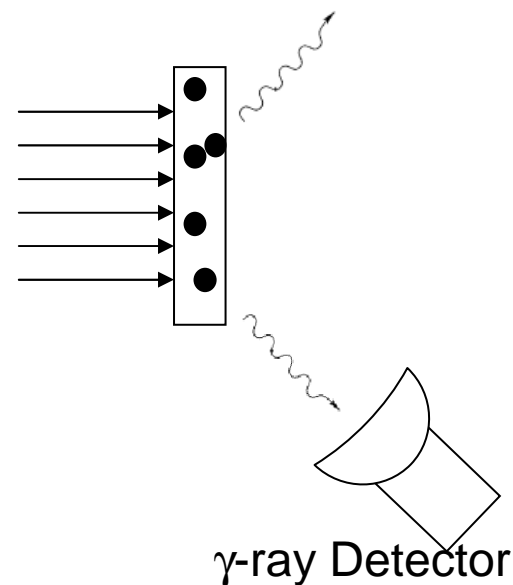


Detector

## Capture experiment

$$C_r = \varepsilon_r Y_r A_r \phi_r$$

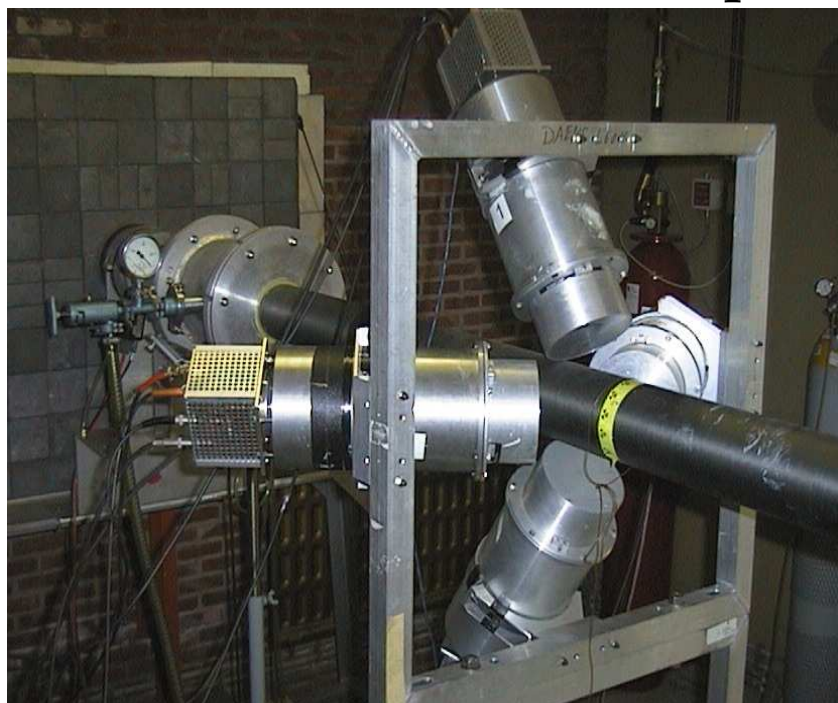
- $\phi_r$  Neutron Fluence Rate
- $\varepsilon_r$  Detection efficiency (for a reaction event)
- $A_r$  effective area
- $Y_r$  reaction yield (beam fraction undergoing the partial Reaction)



Complex relation between  $C_r$  and  $Y_r$   
 $Y_r$  related to  $\sigma_r$

$$Y_r = (1 - e^{-n_r \sigma_t}) \frac{\sigma_r}{\sigma_t}$$

## Capture experiment Set up

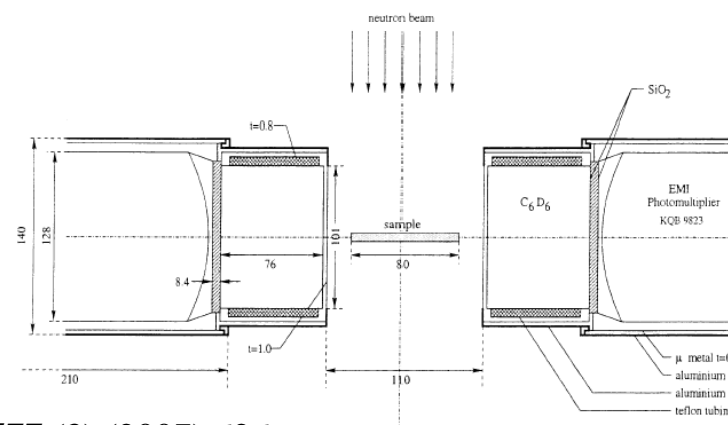


Detector

Technique: Total Energy Detector

Type:  $C_6D_6$  and Weighting Function

- + Correction for the resonance strength
- + Correction for the neutron sensitivity

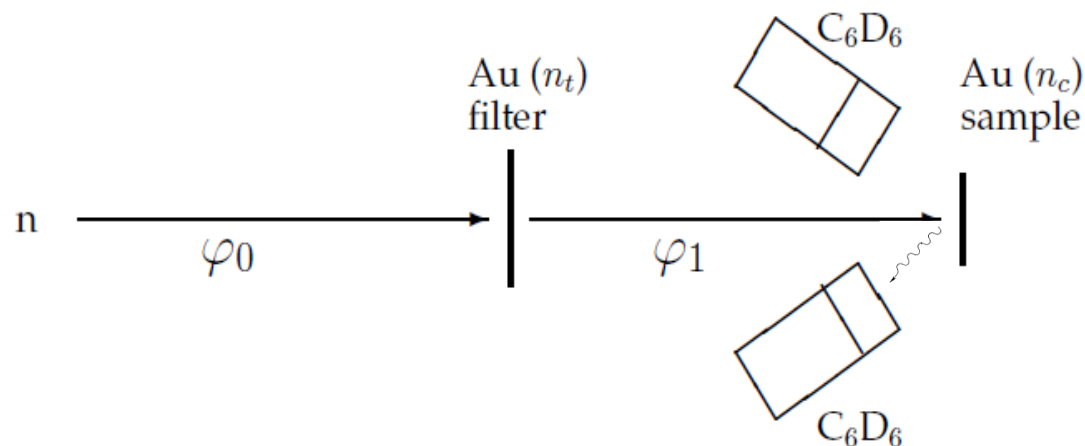


A. Borella et al., NIM A **577** (3) (2007) 626

## Self-Indication Measurement

- Combination of capture and transmission principle
- Au sample as a capture and transmission sample

$$C_{SI} = \varepsilon_c Y_c(E_n) e^{-n_t \sigma_{tot}} \varphi_0(E_n)$$



# Measurement at IRMM – GELINA

Au transmission { Resonance energy  
 $g\Gamma_n$

Flight path	Frequency	Sample	Overlap	filters	
				Background	
49.34	50Hz	10.0 $\mu\text{m}$	Cd	Na,Co	
49.34	50Hz	20.0 $\mu\text{m}$	Cd	Na,Co	
49.34	50Hz	50.0 $\mu\text{m}$	Cd	Na,Co	
49.34	800Hz	3.0 mm	$^{10}\text{B}$	Na,Co	
26.45	50Hz	3.0 mm		Pb, Na, Co, Rh	
26.45	400Hz	3.0 mm	$^{10}\text{B}$	Pb, Na, Co, Rh	
26.45	800Hz	3.0 mm	$^{10}\text{B}$	Pb, Na, Co, Rh	

- Different flight path and repetition rate (50 and 800 Hz)
- Several Au sample of different thickness (10  $\mu\text{m}$  up to 3 mm thick samples)

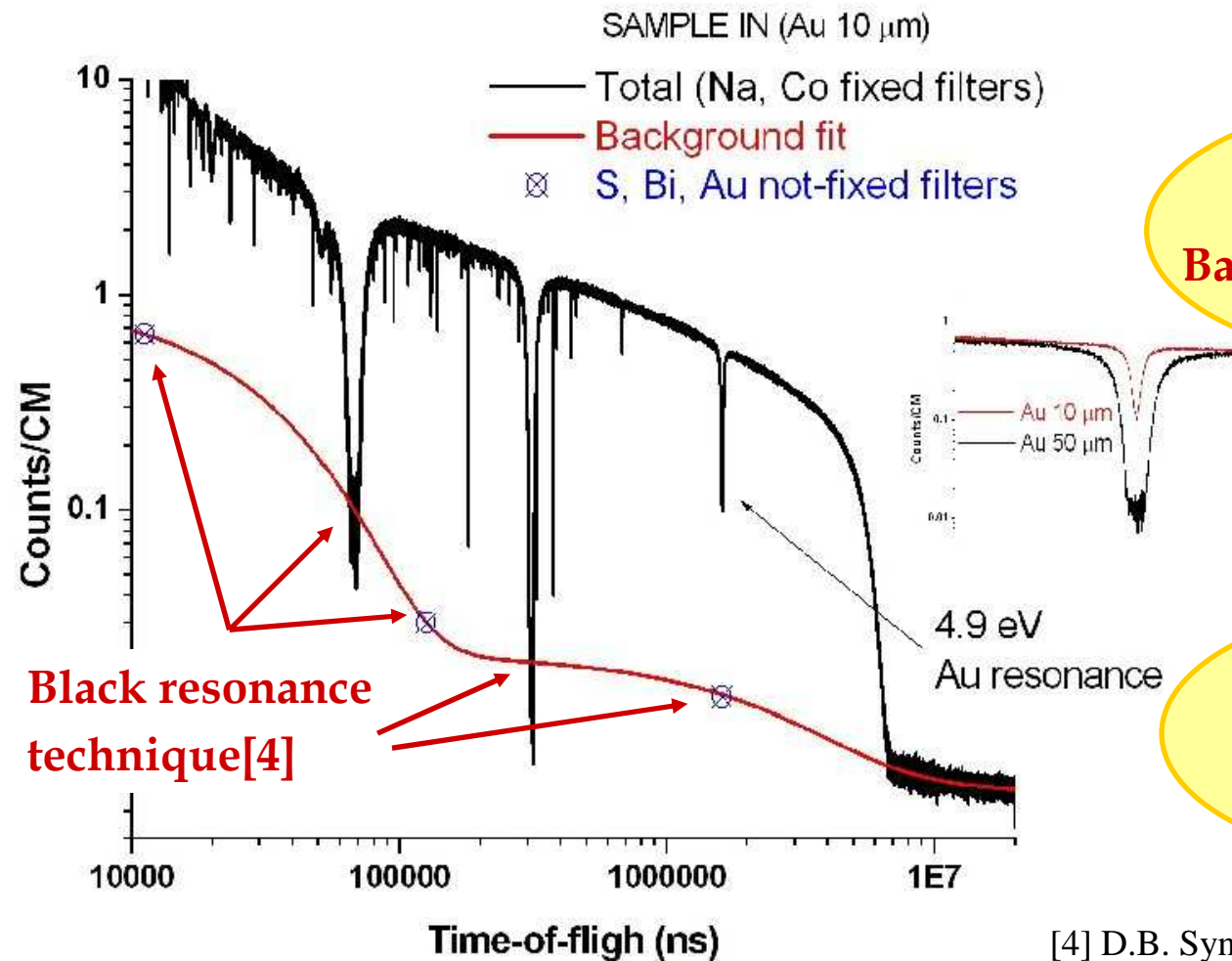
**Data reduction packages AGL and AGS (Analysis of Generic TOF Spectra) with full propagation of uncertainties and complete covariance matrix**

Maximum dead time correction 2%



# Measurement at IRMM – GELINA

Au transmission → Sample in

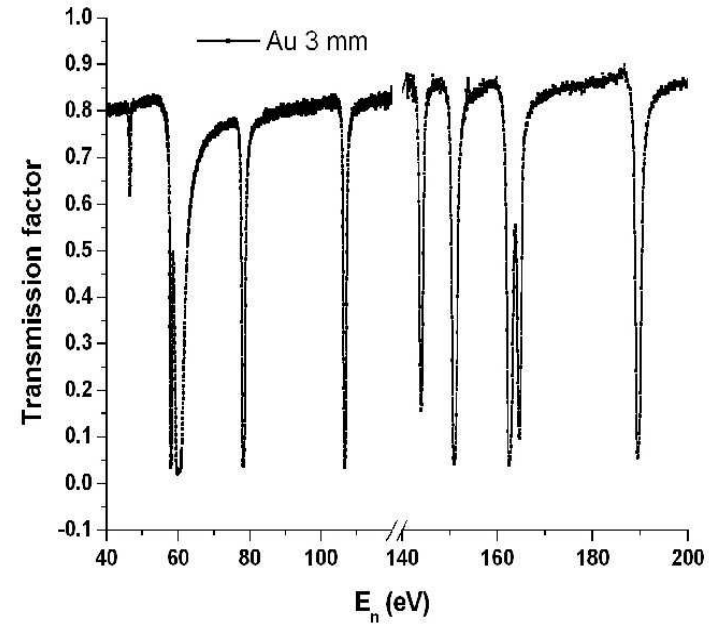
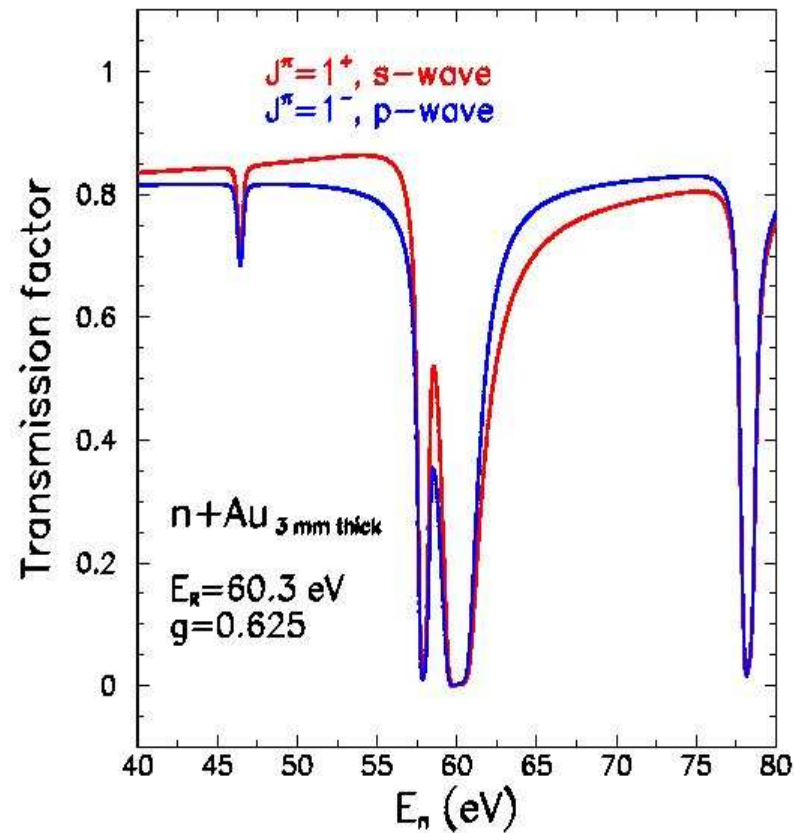


[4] D.B. Syne., NIM **198** (1982) 357-364

# Measurement at IRMM – GELINA

Au transmission on a thick sample:

➤ identification of s-wave resonances





# Measurement at IRMM – GELINA

## Au capture measurements

	Sample	Overlap	filters Background
FP5-12m 50 Hz 4 C <sub>6</sub> D <sub>6</sub> "pyramid"	T2 - 1.0 mm		Co, Bi, Na
	C2 - 0.5 mm		Co, Bi, Na
	C2 - 0.5 mm		W, Co, Bi, Na
	C2 - 0.5 mm		Ag, W, Co, Bi, Na
	C2 - 0.5 mm	Cd	Co, Bi, Na
	C1 - 0.1 mm		Co, Bi, Na
	S1 - 0.05 mm		Co, Bi, Na
	N2 - 0.01 mm N3 - 0.005 mm		Co, Bi, Na Co, Bi, Na
FP5-12m 50 Hz 2 C <sub>6</sub> D <sub>6</sub> "cylinder"	C2-0.5mm		Co, Bi, Na
	C2-0.5mm	Cd	Co, Bi, Na
FP15-30m 50 Hz 2 C <sub>6</sub> D <sub>6</sub> "cylinder"	T2 - 1.0 mm	Cd	Na,Pb
	C2 - 0.5 mm	Cd	Na,Pb
	C2 - 0.5 mm	Cd	W, Co, Na, Pb
	C1 - 0.1 mm	Cd	Na,Pb
	N17 - 0.1 mm	Cd	Na,Pb
	S1 - 0.05 mm	Cd	Na,Pb
	N2 - 0.01 mm	Cd	Na,Pb
	N3 - 0.005 mm	Cd	Na,Pb
FP15-30m 800 Hz 2 C <sub>6</sub> D <sub>6</sub> "cylinder"	T2 - 1.0 mm	<sup>10</sup> B	Pb, Al
	C2 - 0.5 mm	<sup>10</sup> B	Pb, Al
	T1 - 0.1 mm	<sup>10</sup> B	Pb, Al
	T1 - 0.1 mm	<sup>10</sup> B	Pb, Al, S
	T1 - 0.1 mm	<sup>10</sup> B	Pb, Al, Na
FP14-60m 800 Hz 4 C <sub>6</sub> D <sub>6</sub> "cylinder"	C1 - 0.1 mm	Cd	Co, Na

Different flight path, repetition rate (50 and 800 Hz) and C<sub>6</sub>D<sub>6</sub> detectors

Several Au sample of different thickness (10 mm up to 1 mm thick samples)

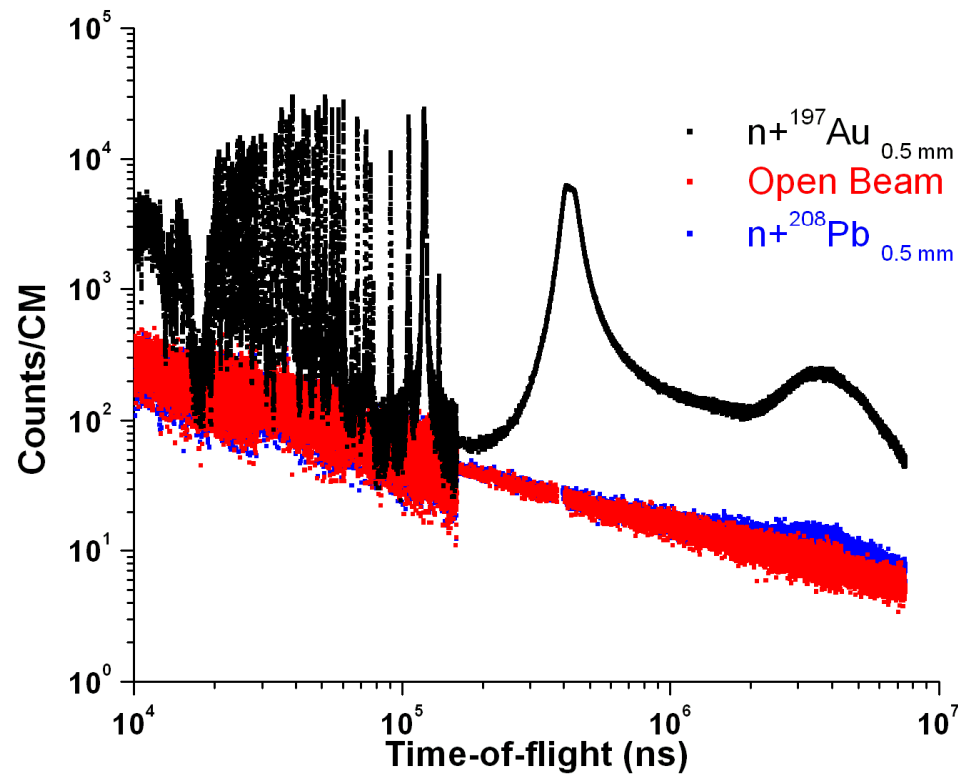
Data reduction packages AGL and AGS (\*) (Analysis of Generic TOF Spectra) with full propagation of uncertainties and complete covariance matrix

Maximum dead time correction 20%

(\*) Accepted by IAEA for EXFOR

# Measurement at IRMM – GELINA

## Au capture measurements (capture)

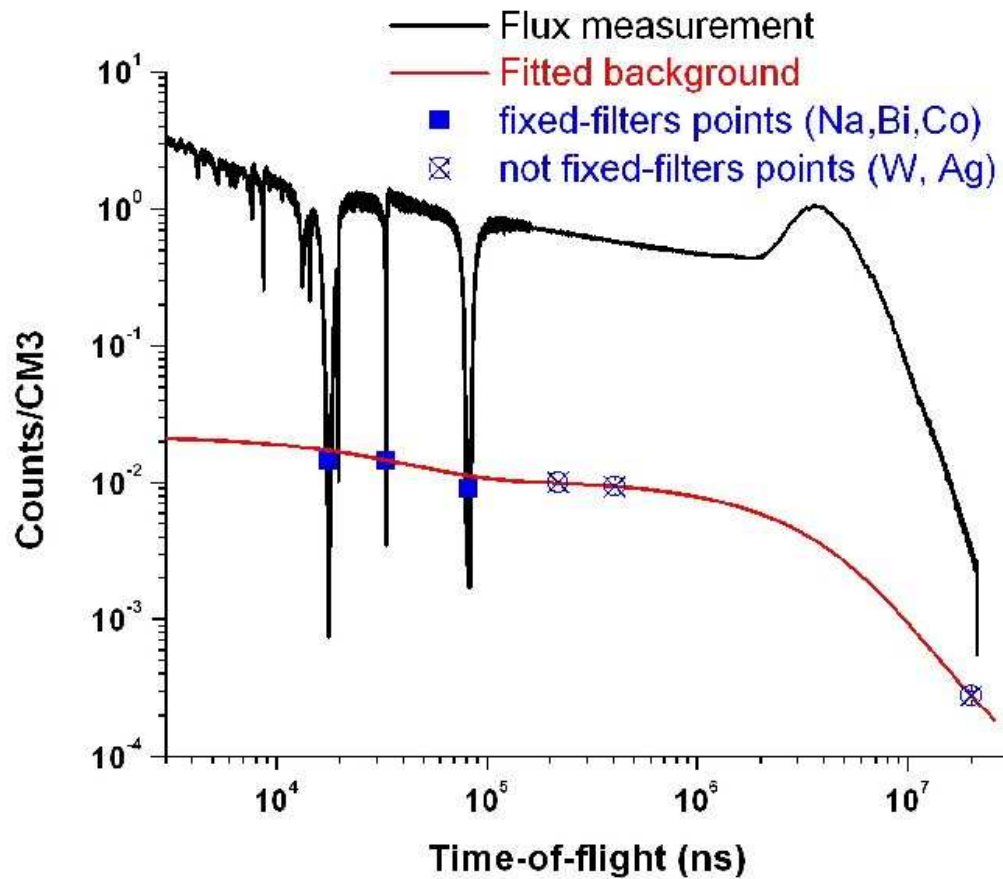


Neutron sensitivity  
very low

Good approximation  
for background

# Measurement at IRMM – GELINA

## Au capture measurements (flux)

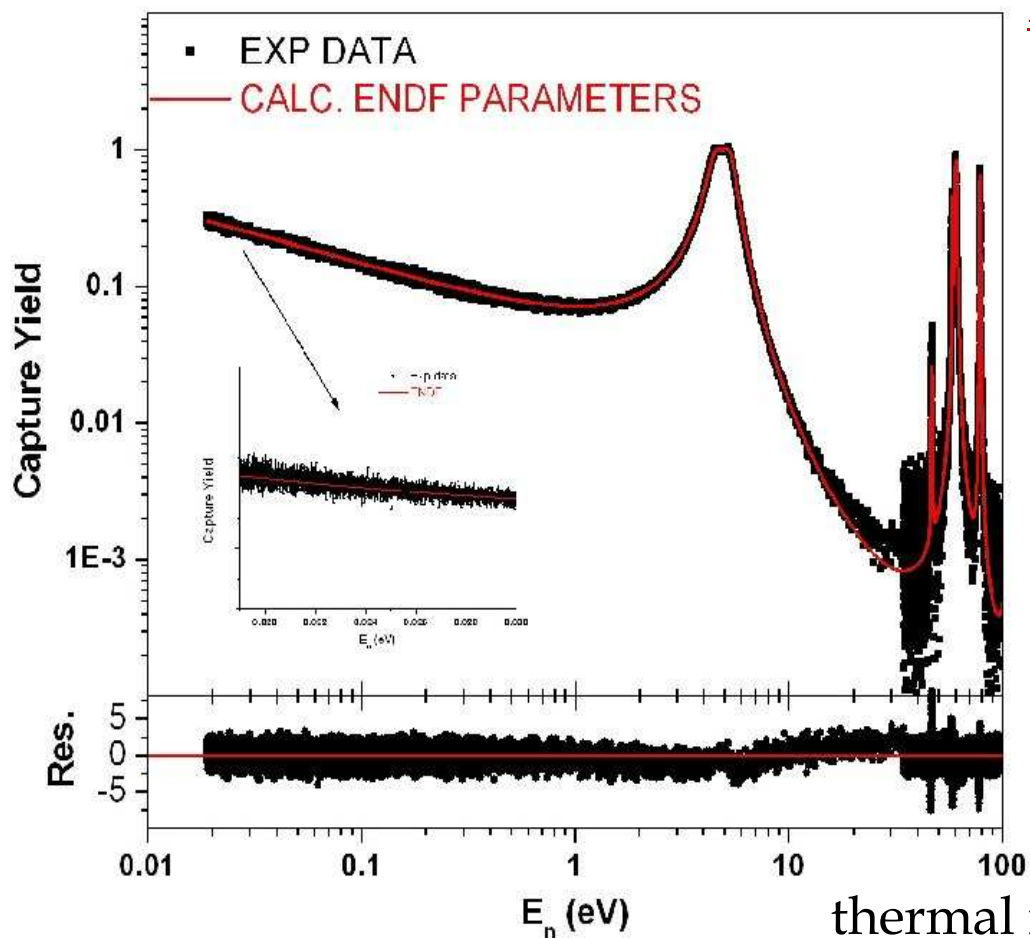


**Background level  
≈ 1%**

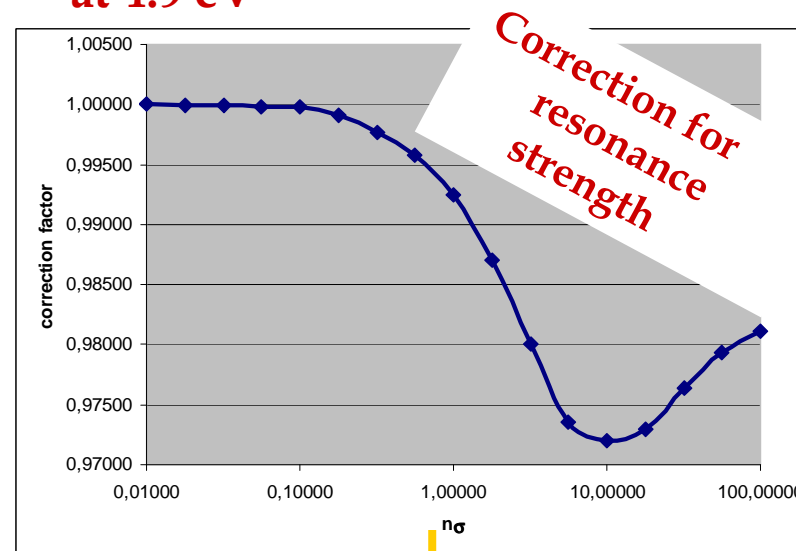
**Measurement down to  
the thermal energy**

# Measurement at IRMM – GELINA

Au capture measurements at 12 m flight path



**Normalization: saturated resonance at 4.9 eV**

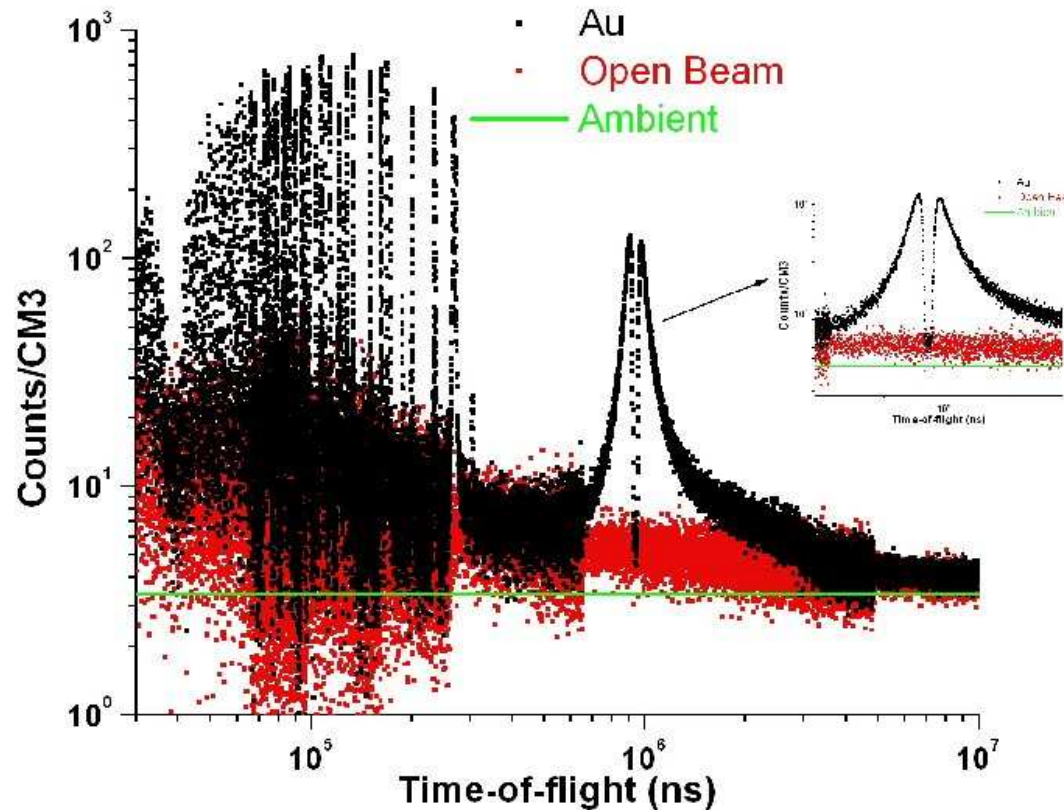


**Thermal cross section reproduced within 1%**

thermal region  $\rightarrow$  negative resonance(s)

# Measurement at IRMM – GELINA

## Au self-indication measurement I



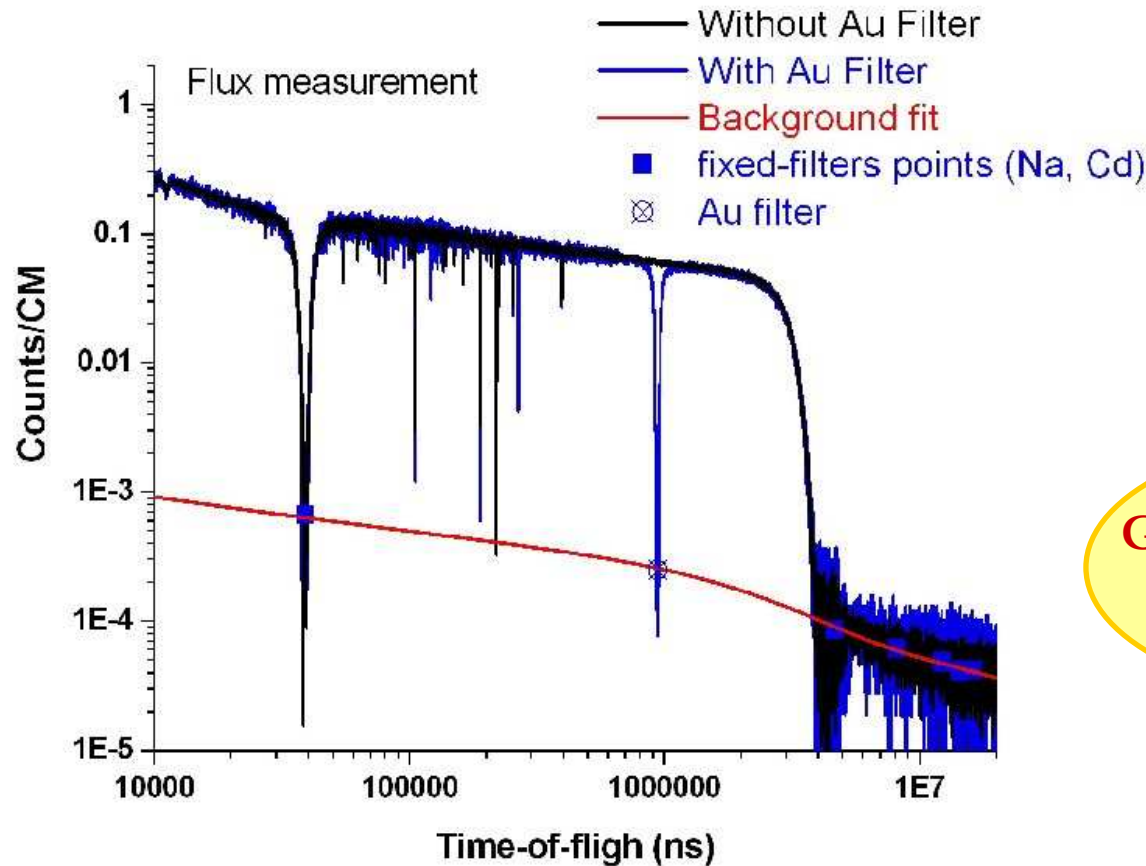
**1° measurement  
at GELINA**

- 28 m flight path
- Au samples 0.1 mm thick

**Good determination of the  
background  
(for saturated resonances)**

# Measurement at IRMM – GELINA

## Au self-indication measurement II



Good determination of  
the background



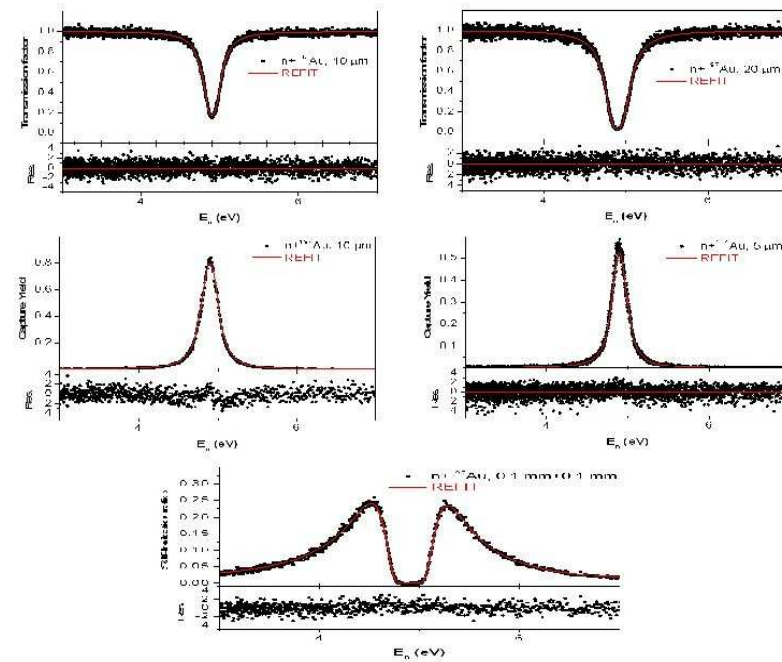
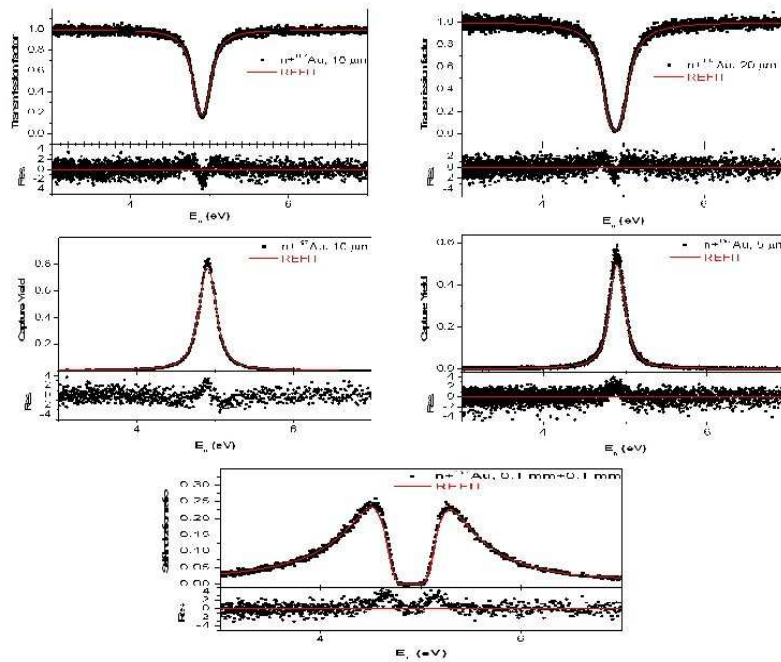
# Measurement at IRMM – GELINA

## Resonance shape analysis (transmission, capture and Self-Indication)

### 1<sup>st</sup> Au resonance

**J = 1**

**J = 2**



# Measurement at IRMM – GELINA

Resonance shape analysis with  $\chi^2$  evaluation for the  
<sup>197</sup>Au resonance

Measurement	sample thickness	$\chi^2$	
		J=1	J=2
Transmission	10 $\mu\text{m}$	1.11	0.97
Transmission	20 $\mu\text{m}$	1.09	0.98
Self-indication	0.1 mm	<b>1.66</b>	<b>1.04</b>
Capture	5 $\mu\text{m}$	1.28	1.16
Capture	10 $\mu\text{m}$	1.27	1.20
Global	-	1.28	1.07

The self-indication measurement presents the larger variation on  $\chi^2$

→ Self-indication needed to determine the spin factor



## Determination of resonance parameters up to 200 eV:

- **Validation of the results with the measurement of the cross section at thermal energy**
- **Deterministic assignment of the total angular momentum of 9 resonances**
- **Determination of the parameter of 12 resonances, in particular for the 4.9 eV resonance with an accuracy better than 0.5%**

## Summary and conclusions

- This work is intended to provide an important contribution to an ongoing effort towards the extension of the energy region in which  $\text{Au}(n,\gamma)$  is considered as a standard. In particular in the resolved resonance region.
- In the framework of the EFNUDAT project we have performed a series of transmission, capture and self-indication measurements at the GELINA time-of-flight facility, in different conditions of neutron beam, background, flight path length, experimental set up, data acquisition, ...;
- Present data valuable input for new evaluation.